

Identify values for "a", "b", and "c". Find the discriminant of the quadratic equation. Then identify how many solutions and what type of solutions the discriminant will give.

1. $x^2 - 2x + 1 = 0$

$a=1 \quad b=-2 \quad c=1$

$(-2)^2 - 4(1)(1) = 0$

Discriminant: 0Number of solutions: 1Type of solutions: Real
and rational

2. $4x^2 + 12x + 9 = 0$

$a=4 \quad b=12 \quad c=9$

$(12)^2 - 4(4)(9) = 144 - 144$

Discriminant: 0Number of solutions: 1Type of solutions: Real
and rational

3. $x^2 + 4 = 3$

$x^2 + 0x + 1 = 0$
 $(0)^2 - 4(1)(1) = -4$

$a=1$
 $b=0$
 $c=1$

Discriminant: -4Number of solutions: 2Type of solutions: complex

4. $x^2 - 14 = 15x$

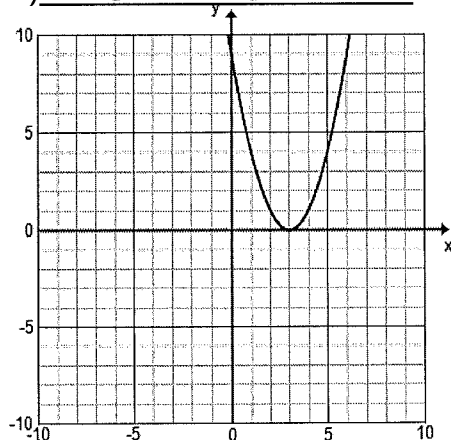
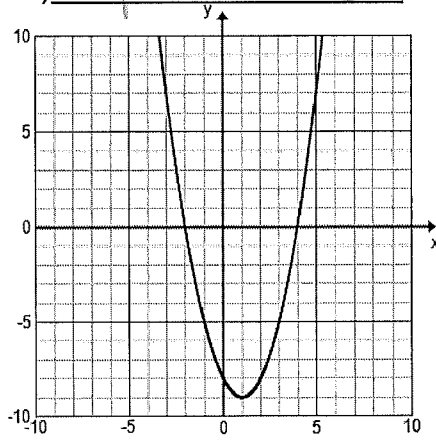
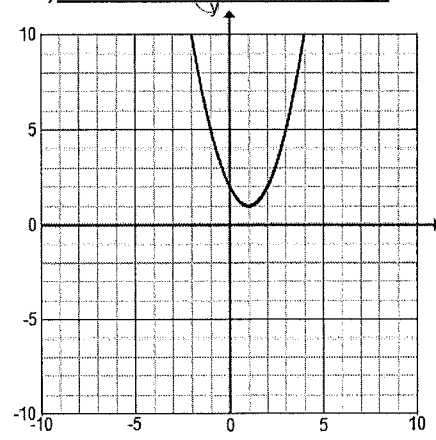
$x^2 - 15x - 14 = 0$

$(-15)^2 - 4(1)(-14) = 281$

$a=1$
 $b=-15$
 $c=-14$

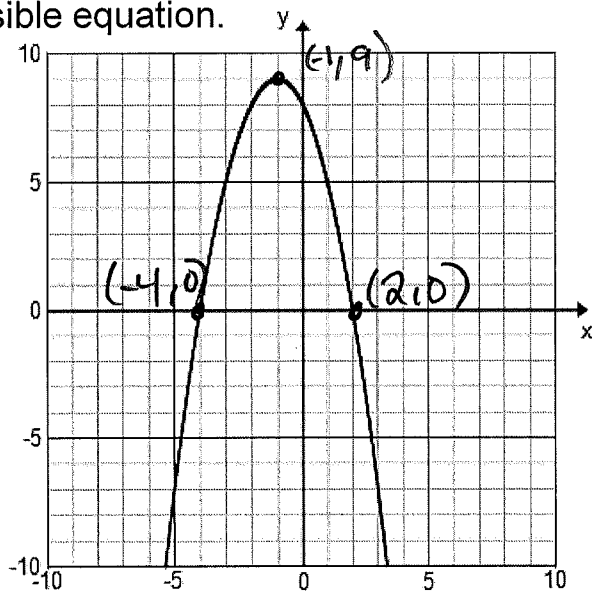
Discriminant: 281Number of solutions: 2Type of solutions: real
and irrational

5. Label each graph below as having a positive, negative, or zero discriminant.

a) zerob) positivec) negative

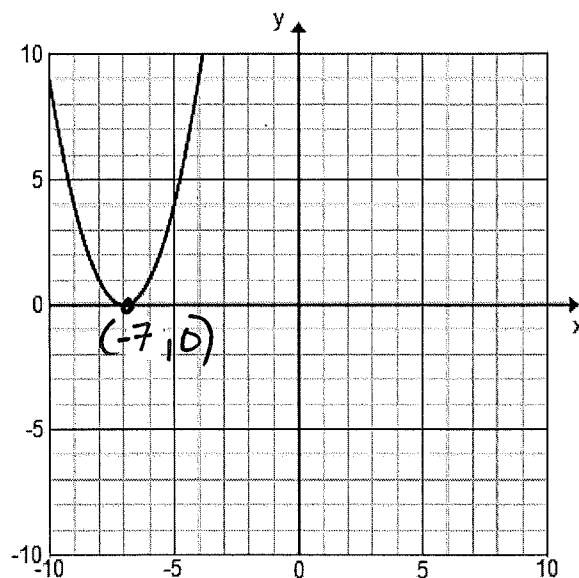
For problems 6-9, label the discriminant, number and type of solutions, and the possible equation.

6.



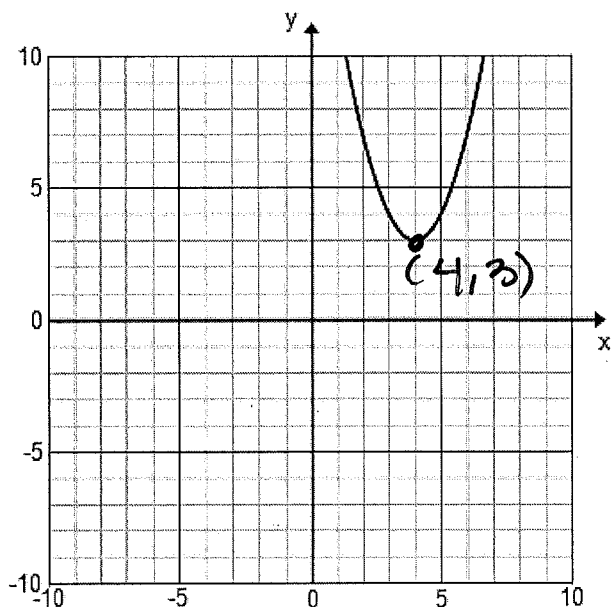
Discriminant: positive
 Number of solutions: 2
 Type of solutions: rational
 Possible Equation: $y = -(x+4)(x-2)$
 $= -x^2 - 2x + 8$

8.



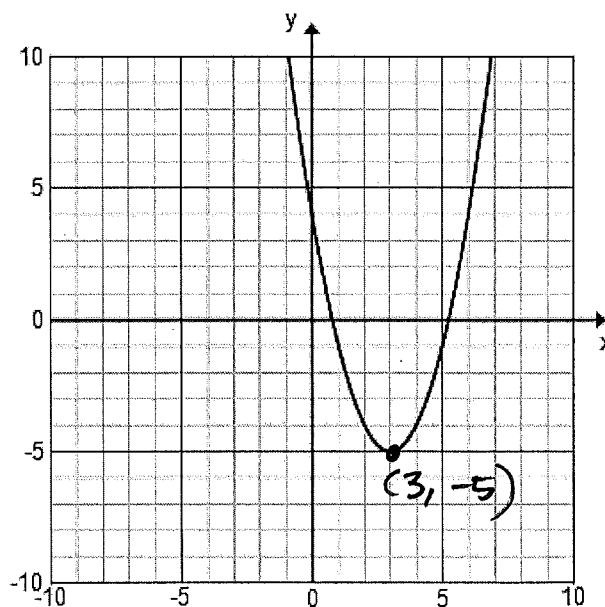
Discriminant: zero
 Number of solutions: 1
 Type of solutions: rational
 Possible Equation: $y = (x+7)^2 + 0$
 $y = x^2 + 14x + 49$

7.



Discriminant: negative
 Number of solutions: 2
 Type of solutions: Complex
 Possible Equation: $y = (x-4)^2 + 3$
 $= x^2 - 8x + 19$

9.



Discriminant: positive
 Number of solutions: 2
 Type of solutions: irrational
 Possible Equation: $y = (x-3)^2 - 5$
 $= x^2 - 6x + 4$